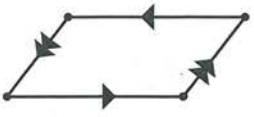
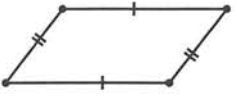
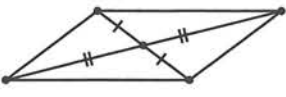
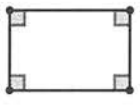
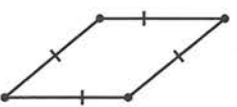


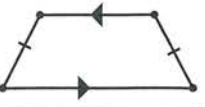


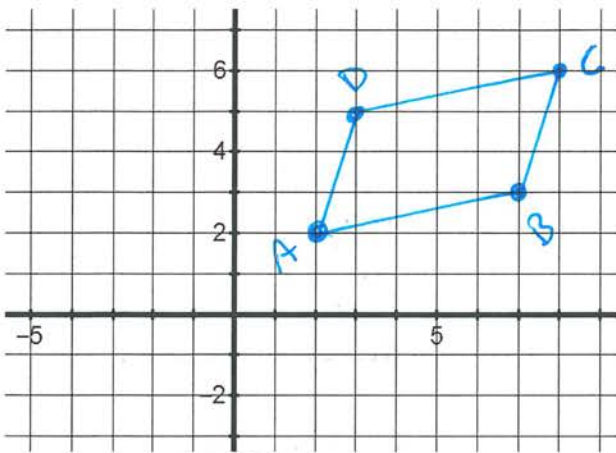
Coordinate Geometry Proofs - Quadrilaterals

| To Prove | Need to Show | Formulas to Use |
|---|--|------------------------|
| Parallelogram  | opp. sides \parallel | slope |
| Parallelogram  | opp. sides \cong | Distance |
| Parallelogram  | Diags. bisect each other | midpoint. |
| Rectangle  | 4 Right \angle 's (4 \cong \angle 's) | slope. |
| Rhombus  | 4 \cong sides | distance |
| Square  | 4 \cong sides + 4 \cong \angle 's | slope + distance |
| Trapezoid  | 1 pair \parallel sides + 4 pair non- \parallel sides | slope. |
| Isosceles Trapezoid  | Trapezoid (see trap above) + non \parallel sides \cong | slope + distance |

Example:

Given: Quadrilateral ABCD with A(2,2), B(7,3), C(8,6), D(3,5).

Prove: ABCD is a Parallelogram.



$$\text{slope } \overline{AD} = \frac{5-2}{3-2} = \frac{3}{1}$$

$$\text{slope } \overline{BC} = \frac{6-3}{8-7} = \frac{3}{1}$$

$$\text{slope } \overline{DC} = \frac{6-5}{8-3} = \frac{1}{5}$$

$$\text{slope } \overline{AB} = \frac{3-2}{7-2} = \frac{1}{5}$$

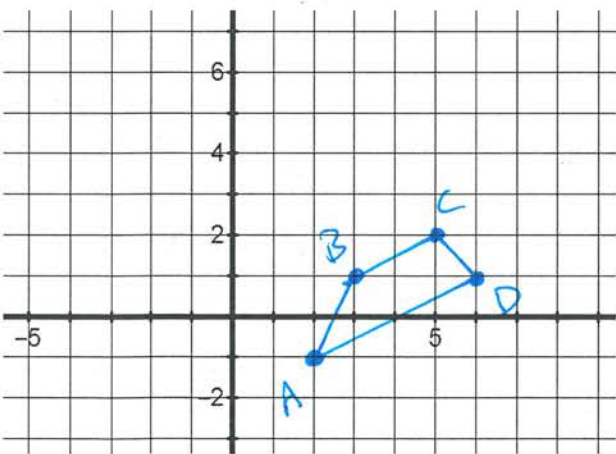
$\left. \begin{array}{l} \overline{AD} \parallel \overline{BC} \\ \overline{DC} \parallel \overline{AB} \end{array} \right\}$

ABCD is a parallelogram because it has 2 pairs of parallel sides.

Example:

Given: Quadrilateral ABCD with A(2,-1), B(3,1), C(5,2), D(6,1).

Prove: Quadrilateral ABCD is a Trapezoid.



$$\text{slope } \overline{BC} = \frac{2-1}{5-3} = \frac{1}{2}$$

$$\text{slope } \overline{AD} = \frac{1-(-1)}{6-2} = \frac{2}{4} = \frac{1}{2}$$

$$\text{slope } \overline{AB} = \frac{1-(-1)}{3-2} = \frac{2}{1}$$

$$\text{slope } \overline{CD} = \frac{2-1}{5-6} = \frac{1}{-1} = -1$$

$\left. \begin{array}{l} \overline{BC} \parallel \overline{AD} \\ \overline{AB} \not\parallel \overline{CD} \end{array} \right\}$

ABCD is a trapezoid because it has only 1 pair of parallel sides.